

END TERM EXAMINATION

FOURTH SEMESTER [MCA] MAY-JUNE 2018

Paper Code: MCA-202

Subject: Design and Analysis of Algorithms

Time: 3 Hours

Maximum Marks: 75

Note: Attempt any five questions including Q no.1 which is compulsory.

Q1 Differentiate between following:- (5x5=25)
(a) Deterministic and nondeterministic algorithm.
(b) Time complexity and space complexity.
(c) Dynamic Paradigm and Greedy Paradigm to solve any problem.
(d) P, NP, NP-hard and NPC
(e) Determine 0/1 Knapsack problem.

Q2 (a) Give Asymptotic upper and lower bound for T(n) in each of the following recurrence relation: (6.5)

(i) $T(n) = 2T(n/2) + n^3$

(ii) $T(n) = T(n-1) + n$

(iii) $T(n) = 2T(n/4) + n^2$

(b) What is the behind divide and conquer method. Explain with example. (6)

Q3 (a) Write an algorithm for Quick Sort and Explain. Also find its complexity in worst case, average case and burst case. (6)

(b) Perform Quick sort dry run on following data. Show the various steps involved in the quick sorting of the data. (1,3,4,-5,9,2,6,5,3) (6.5)

Q4 (a) Write an algorithm for Matrix Chain Multiplication and Explain why this strategy comes under the dynamic paradigm. (5.5)

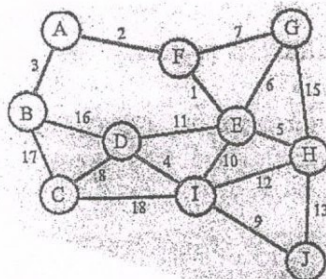
(b) Find optimal parenthesization of matrix-chain product whose sequence of dimensions as follows: (7)
5,10,3,15,2,20

Q5 (a) Explain the algorithm for string matching with finite automata. Compare its complexity with other string matching algorithms. (5.5)

(b) Construct the string matching automation for the pattern P='aabab' and illustrate its operations on the text string 'aababaabaababab'. (7)

Q6 (a) Write any one algorithm for minimum spanning tree generation and explain. Find its complexity. 'Discuss the advantage of generating minimum spanning tree in computer networks. (6)

(b) For the following graph generate the spanning tree using Kruskal's method and Prims method. Are both the spanning tree same? Justify. (6.5)



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- Q7 (a) How to solve the sum of subset problem using approximation algorithms? Also find its time complexity. (6)
(b) Prove that any algorithm that works by comparing keys to find the second largest from a set of n keys must do at least $n + \log n - 2$ comparisons in the worst case. (6.5)
- Q8 (a) Prove that Hamiltonian Cycles is NP complete problem. (5.5)
(b) Explain the relationship between NP-completeness and reducibility. Give definition of NP complete language. (7)
