

END TERM EXAMINATION

THIRD SEMESTER [MCA] DECEMBER 2015 - January 2016

Paper Code: MCA 201

Subject: Theory of Computation

Time : 3 Hours

Maximum Marks :60

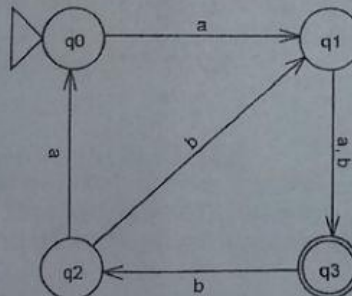
Note: Attempt any five questions including Q.no.1 which is compulsory. Select one question from each unit. Assume suitable data wherever necessary.

Q1. Answer the following questions: (2x10=20)

- a) What are the different modules or phases of a Typical Compiler?
- b) What is Right Most Derivation? How is it different from Leftmost Derivations?
- c) What is Kleene's Theorem? Explain.
- d) What is JFLAP? How is it useful in simulating various automata?
- e) Explain the Church-Turing Thesis.
- f) Convert the following Grammar into CNF notation.
 $S \rightarrow AB, A \rightarrow a, B \rightarrow C \mid b, C \rightarrow c$
- g) State post Correspondence Problem.
- h) Write regular expression for the set of all strings not containing 101 as a substring over the alphabets {0, 1}. Provide justification that your expression is correct.
 $(0+1)^* 0^* 1^* 0^*$
- i) What is reducibility?
- j) Define Universal Turing Machine.

Unit-I

Q2. a) Find the regular expression corresponding to the finite automation in fig. Also give the language acceptable by the automata. (5)



b) State and explain Pumping Lemma for Regular Grammar. (5)

- Q3. a) Draw a DFA for Language defined on set of symbols {1, 2, 3} such that DFA accepts any string that begins with 1/3 and terminates with 2/3. (5)
- b) State myhill Nerode Theorem and explain with suitable example application of the theorem. (5)

Unit-II

Q4. Given the following already augmented grammar: (10)

- $S' \rightarrow S$
- $S \rightarrow AB \mid AA \mid bC$
- $A \rightarrow bCa \mid b$
- $B \rightarrow Bd \mid \epsilon$
- $C \rightarrow c$

Handwritten notes: 101, $0^* 1 (0+1)^* 0^*$, $(0+1)$

P.T.O.

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P/2

Draw the goto graph including just those states of an LR(1) parser that are pushed on the parse stack during a parse of the input bdd (this will be a subset of all configuration sets). If you accidentally construct irrelevant states, cross them out. Do not add or change any production in the grammar.

- Q5. a) Draw/ Design Push Down Automata equivalent to the grammar and verify the result for the strings aaaabbaaaaa, aabaaa. (6)
 $S \rightarrow aAA, A \rightarrow aS \mid bS \mid a$
 b) What is GNF notation? How is grammar given in CNF notation converted in GNF notation? Explain with suitable example. (4)

Unit-III

- Q6. a) Prove that Halting problem is undecidable. (5)
 b) Design a Turing machine for adding two Positive Integers Numbers. (5)
- Q7. a) State and Explain Recursion Theorem. (5)
 b) Design a Turing Machine to test whether a given input on $\Sigma = \{a, b\}$ contains equal number of symbols a and b. (5)

Unit-IV

- Q8. a) Define the classes P & NP. (5)
 b) What do you understand by Probabilistic Computation? Explain. (5)
- Q9. a) Define L, NL, & PSPACE complexity. (5)
 b) State Savitch Theorem on Space Complexity and Prove it. (5)

qAA
 aaS
 aaS
 aaS

qAA
 aaS
 aaS
 aaS
 aaS
 aaS

101

$(0+1)^+ (11)^+$

111

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 P2/2